2019 Ph H2 Q6

Section: Particles and Waves

Topic: Blackbody Radiation and Wien's Law

Summary:

This question involves comparing blackbody spectra at different temperatures and using Wien's Law to derive a constant.

(a)

Sketch the spectrum for a hotter star (6000 K) on the same graph.



- Curve must peak at a shorter wavelength (to the left of 5000 K curve).
- Curve must be taller (higher energy emitted at all wavelengths).

Marks: 2

- 1 mark: peak shifted to left (shorter λ)
- 1 mark: higher overall energy at all λ (curve above original)

(b)

Use the data to show that

$$T \times \lambda_{\rm peak} \approx 2.9 \times 10^{-3}\,{\rm m\cdot K}$$

Data:

Multiply $^{T \times \lambda_{\mathrm{peak}}}$ for all 4 stars:

- $7700 \times 3.76 \times 10^{-7} = 2.895 \times 10^{-3}$
- $8500 \times 3.42 \times 10^{-7} = 2.907 \times 10^{-3}$
- $9600 \times 3.01 \times 10^{-7} = 2.890 \times 10^{-3}$
- $12000 \times 2.42 \times 10^{-7} = 2.904 \times 10^{-3}$

All values are close to 2.9×10^{-3}



Answer: $T\lambda_{\rm peak} = 2.9 \times 10^{-3} \, \mathrm{m \cdot K}$



🔽 Marks: 3

- 2 marks: correct calculations for all 4 stars
- 1 mark: conclusion consistent with data

Revision Tips:

Wien's Law:

increases.

$$\lambda_{\rm peak} = \frac{2.9 \times 10^{-3}}{T}$$

- As temperature increases, peak wavelength decreases (hotter = bluer).
- Blackbody spectra shift left and rise in height as temperature